

LAST NAME \_\_\_\_\_

FIRST NAME \_\_\_\_\_

2-asset portfolio P with composition  $\{x_A, x_B\}$ :

$$E(r_P) = x_A E(r_A) + x_B E(r_B) \quad \text{Var}(r_P) = x_A^2 \sigma_A^2 + x_B^2 \sigma_B^2 + 2x_A x_B \sigma_A \sigma_B \rho_{AB} \quad \rho_{AB} = \frac{\text{Cov}(r_A, r_B)}{\sigma_A \times \sigma_B}$$

**The following applies to all questions below:**

There are two risky assets, asset A and asset B, where  $E(r_A) = 20\%$ ,  $E(r_B) = 10\%$ ,  $\sigma_A = 10\%$ ,  $\sigma_B = 30\%$ ;  $\rho_{AB} = 0.8$ .

a) If the return of asset A will be above its expectation  $E(r_A)$ , then

- It is likely but not certain that the return of B will be above its expectation  $E(r_B)$ .
- It is likely but not certain that the return of B will be below its expectation  $E(r_B)$ .
- We can say nothing about how the return of B will compare to its expectation  $E(r_B)$
- It is certain that the return of B will be above its expectation  $E(r_B)$
- It is certain that the return of B will be below its expectation  $E(r_B)$

b) Is it possible to build a portfolio with expected return of 30% ?

- No, this is not possible
- Yes by taking long positions in both assets.
- Yes by shorting A and buying B
- Yes by buying A and shorting B**

c) What is the standard deviation of return of a portfolio with composition  $\{x_A = 0.5, x_B = 0.5\}$ ?

- 10%
- 11.40%
- 15.81%
- 19.24%**
- 20%

d) To maximize the expected return of your portfolio you should

- Put all your money into asset A
- Put all your money into asset B
- Buy both A and B
- Buy A and short B**
- Short A and buy B

e) If you believe that the price of A will decrease substantially, which one of the following strategies on asset B you believe will be most profitable?

- Buy B
- Short Sell B**
- Take no position in B
- None of the above

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2-asset portfolio P with composition  $\{x_A, x_B\}$ :

$$E(r_P) = x_A E(r_A) + x_B E(r_B) \quad \text{Var}(r_P) = x_A^2 \sigma_A^2 + x_B^2 \sigma_B^2 + 2x_A x_B \sigma_A \sigma_B \rho_{AB} \quad \rho_{AB} = \frac{\text{Cov}(r_A, r_B)}{\sigma_A \times \sigma_B}$$

**The following applies to all questions below:**

There are two risky assets, asset A and asset B, where  $E(r_A) = 20\%$ ,  $E(r_B) = 10\%$ ,  $\sigma_A = 10\%$ ,  $\sigma_B = 30\%$ ;  $\rho_{AB} = -0.8$ .

a) If the return of asset A will be above its expectation  $E(r_A)$ , then

- It is likely but not certain that the return of B will be above its expectation  $E(r_B)$ .
- It is likely but not certain that the return of B will be below its expectation  $E(r_B)$ .**
- We can say nothing about how the return of B will compare to its expectation  $E(r_B)$
- It is certain that the return of B will be above its expectation  $E(r_B)$
- It is certain that the return of B will be below its expectation  $E(r_B)$

b) Is it possible to build a portfolio with expected return of 18% ?

- No, this is not possible
- Yes by taking long positions in both assets.**
- Yes by shorting A and buying B
- Yes by buying A and shorting B

c) What is the standard deviation of return of a portfolio with composition  $\{x_A = 0.5, x_B = 0.5\}$ ?

- 10%
- 11.40%**
- 15.81%
- 19.24%
- 20%

d) To maximize the expected return of your portfolio you should

- Put all your money into asset A
- Put all your money into asset B
- Buy both A and B
- Buy A and short B**
- Short A and buy B

e) If you believe that the price of A will decrease substantially, which one of the following strategies on asset B you believe will be most profitable?

- Buy B**
- Short Sell B
- Take no position in B
- None of the above

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2-asset portfolio P with composition  $\{x_A, x_B\}$ :

$$E(r_P) = x_A E(r_A) + x_B E(r_B) \quad \text{Var}(r_P) = x_A^2 \sigma_A^2 + x_B^2 \sigma_B^2 + 2x_A x_B \sigma_A \sigma_B \rho_{AB} \quad \rho_{AB} = \frac{\text{Cov}(r_A, r_B)}{\sigma_A \times \sigma_B}$$

**The following applies to all questions below:**

There are two risky assets, asset A and asset B, where  $E(r_A) = 20\%$ ,  $E(r_B) = 10\%$ ,  $\sigma_A = 10\%$ ,  $\sigma_B = 30\%$ ;  $\rho_{AB} = 0$ .

a) If the return of asset A will be above its expectation  $E(r_A)$ , then

- It is likely but not certain that the return of B will be above its expectation  $E(r_B)$ .
- It is likely but not certain that the return of B will be below its expectation  $E(r_B)$ .
- We can say nothing about how the return of B will compare to its expectation  $E(r_B)$**
- It is certain that the return of B will be above its expectation  $E(r_B)$
- It is certain that the return of B will be below its expectation  $E(r_B)$

b) Is it possible to build a portfolio with expected return of 5% ?

- No, this is not possible
- Yes by taking long positions in both assets.
- Yes by shorting A and buying B**
- Yes by buying A and shorting B

c) What is the standard deviation of return of a portfolio with composition  $\{x_A = 0.5, x_B = 0.5\}$ ?

- 10%
- 11.40%
- 15.81%**
- 19.24%
- 20%

d) To maximize the expected return of your portfolio you should

- Put all your money into asset A
- Put all your money into asset B
- Buy both A and B
- Buy A and short B**
- Short A and buy B

e) If you believe that the price of B will decrease substantially, which one of the following strategies on asset A you believe will be most profitable?

- Buy A**
- Short Sell A
- Take no position in A**
- None of the above**

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2-asset portfolio P with composition  $\{x_A, x_B\}$ :

$$E(r_P) = x_A E(r_A) + x_B E(r_B) \quad \text{Var}(r_P) = x_A^2 \sigma_A^2 + x_B^2 \sigma_B^2 + 2x_A x_B \sigma_A \sigma_B \rho_{AB} \quad \rho_{AB} = \frac{\text{Cov}(r_A, r_B)}{\sigma_A \times \sigma_B}$$

**The following applies to all questions below:**

There are two risky assets, asset A and asset B, where  $E(r_A) = 10\%$ ,  $E(r_B) = 20\%$ ,  $\sigma_A = 10\%$ ,  $\sigma_B = 30\%$ ;  $\rho_{AB} = -1$ .

a) If the return of asset A will be above its expectation  $E(r_A)$ , then

- It is likely but not certain that the return of B will be above its expectation  $E(r_B)$ .
- It is likely but not certain that the return of B will be below its expectation  $E(r_B)$ .
- We can say nothing about how the return of B will compare to its expectation  $E(r_B)$
- It is certain that the return of B will be above its expectation  $E(r_B)$
- It is certain that the return of B will be below its expectation  $E(r_B)$**

b) Is it possible to build a portfolio with expected return of 100% ?

- No, this is not possible
- Yes by taking long positions in both assets.
- Yes by shorting A and buying B**
- Yes by buying A and shorting B

c) What is the standard deviation of return of a portfolio with composition  $\{x_A = 0.5, x_B = 0.5\}$ ?

- 10%**
- 11.40%
- 15.81%
- 19.24%
- 20%

d) To maximize the expected return of your portfolio you should

- Put all your money into asset A
- Put all your money into asset B
- Buy both A and B
- Buy A and short B
- Short A and buy B**

e) If you believe that the price of A will decrease substantially, which one of the following strategies on asset B you believe will be most profitable?

- Buy B**
- Short Sell B
- Take no position in B
- None of the above