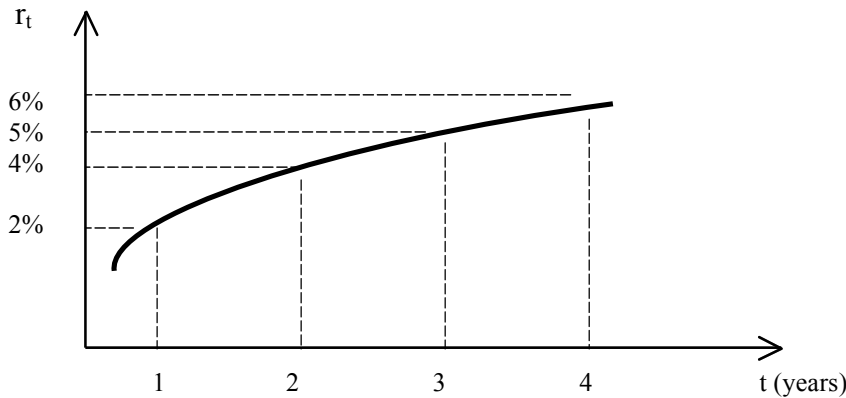


LAST NAME _____

FIRST NAME _____

Consider the following yield curve (as of date $t=0$), which is based on government-issued default-risk-free zero-coupon bonds:



Answer the questions below based on the yield curve above knowing that all bonds in this economy have a par (face, nominal) value of 100 €:

1) What is the price today (at $t=0$) of a government-issued zero-coupon bond that will mature in 2 years from now?

- 98.04 €
- 96.15 €
- 92.46 €
- 86.38 €
- 79.21 €

2) Price at $t=0$ of a government-issued zero-coupon bond with 18-months (1.5 years) until maturity is equal to 95.66 €. What is the yield-to-maturity on this bond?

- 2.50%
- 2.75%
- 3.00%
- 3.25%
- 3.50%

3) Now consider the annual coupon-paying government bond A with a maturity of 1-year that is also exactly 1-year away from the next coupon payment. If bond A has a coupon rate of 3% then at date $t=0$ it must be selling at ...

- a discount
- par (face) value
- a premium

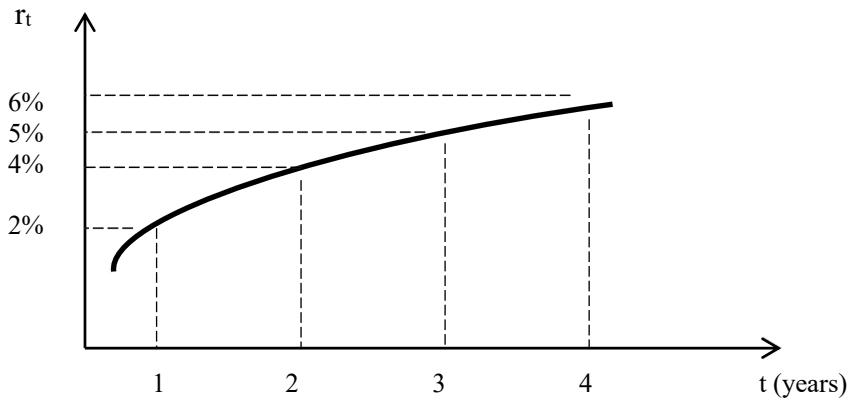
4) If at $t=0$ you buy the coupon-paying government bond A described above and hold it until its maturity date, then at $t=1$ (in the absence of transaction costs) you would earn a realized rate of return of ...

- < 1%
- 1%
- 2%
- 3%
- > 3%

5) If, all of a sudden, at date $t=0$ the yield curve above makes a parallel upward move of 1% (i.e., all interest rates increase by 1%), then $t=0$ prices of ...

- all bonds decrease
- only zeros decrease
- only A decreases
- bonds not affected
- only A increases
- only zeros increase
- all bonds increase

Consider the following yield curve (as of date $t=0$), which is based on government-issued default-risk-free zero-coupon bonds:



Answer the questions below based on the yield curve above knowing that all bonds in this economy have a par (face, nominal) value of 100 €:

1) What is the price today (at $t=0$) of a government-issued zero-coupon bond that will mature in 2 years from now?

$$P_0^{2\text{-yr zero}} = 100/1.04^2 = 92.42$$

- 98.04 €
- 96.15 €
- 92.46 €
- 86.38 €
- 79.21 €

2) Price at $t=0$ of a government-issued zero-coupon bond with 18-months (1.5 years) until maturity is equal to 95.66 €. What is the yield-to-maturity on this bond?

$$P_0^{1.5\text{-yr zero}} = 100/(1+r_{1.5})^{1.5}$$

$$\rightarrow r_{1.5} = (100/95.66)^{1/1.5} - 1 = 0.0300 = 3.00\%$$

- 2.50%
- 2.75%
- 3.00%
- 3.25%
- 3.50%

3) Now consider the annual coupon-paying government bond A with a maturity of 1-year that is also exactly 1-year away from the next coupon payment. If bond A has a coupon rate of 3% then at date $t=0$ it must be selling at ...

no need for calculation: $c > r_1 \rightarrow$ at a premium

[alternatively: $P_0^A = (3+100) / (1+0.02) = 100.98 > 100$]

- a discount
- par (face) value
- a premium

4) If at $t=0$ you buy the coupon-paying government bond A described above and hold it until its maturity date, then at $t=1$ (in the absence of transaction costs) you would earn a realized rate of return of ...

no need for calculation: bond A acts as a zero-coupon bond, must earn r_1
[alternatively: realized return = $(103-100.98)/100.98 = 0.0200 = 2.00\%$]

- < 1%
- 1%
- 2%
- 3%
- > 3%

5) If, all of a sudden, at date $t=0$ the yield curve above makes a parallel upward move of 1% (i.e., all interest rates increase by 1%), then $t=0$ prices of ...

- all bonds decrease
- only zeros decrease
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- all bonds increase